



## Turbulent MagnetoRotational Instability in large scale PIC simulations

Advance Program in Plasma Science and Engineering (APPLAuSE)

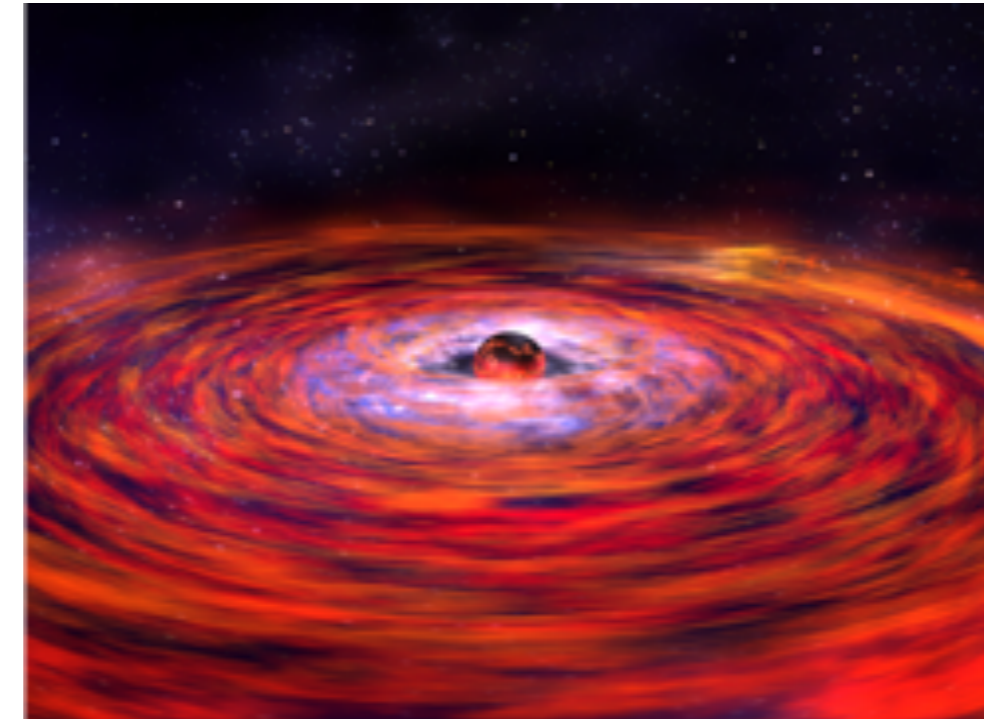


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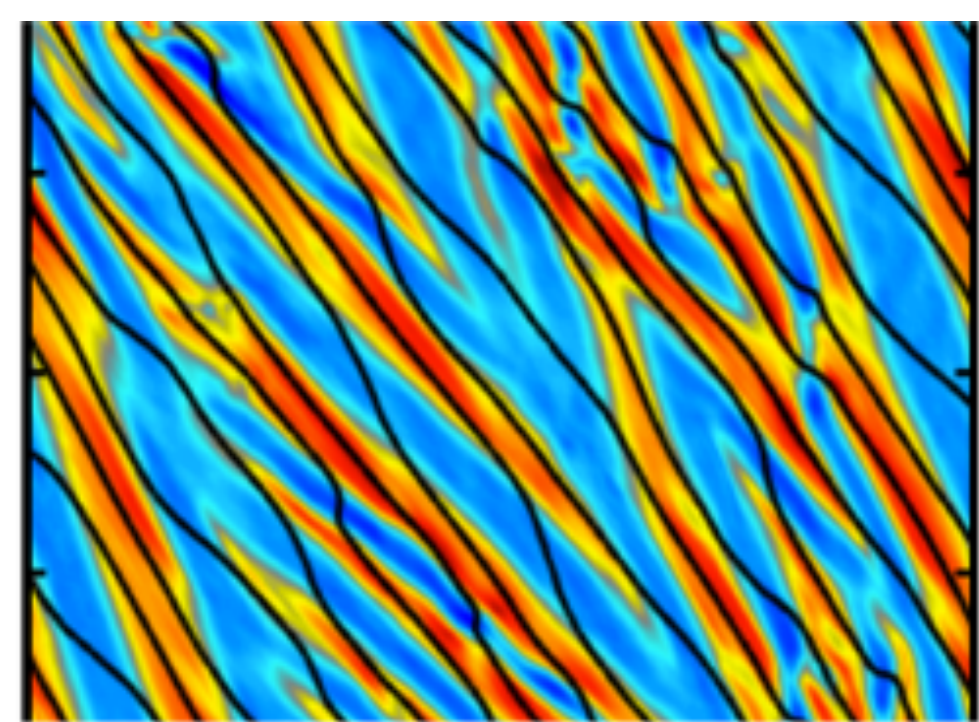


### Introduction

The **MagnetoRotational Instability** (MRI) [1,2] is essential to understand the **growth of B** in astrophysical scenarios characterized by a state of differential rotation along central masses, like **accretion disks**.



Artistic representation of accretion disk (NASA)



Magnetic filaments characteristic of the Mirror Instability [3]

A **kinetic analysis** is required for collisionless systems in order to study the influence of **pressure anisotropies** (Firehose & Mirror instabilities [3]) to MRI.

We modified our PIC (Particle In Cell) code OSIRIS 3.0 to observe the kinetic effects in a rotating system on **large scale** simulations.

Analysing the evolution of the MRI on large scale, we observed the comparison of a **turbulent regime**, that plays a crucial role for the **saturation of the instability**.

### Shear co-rotating frame

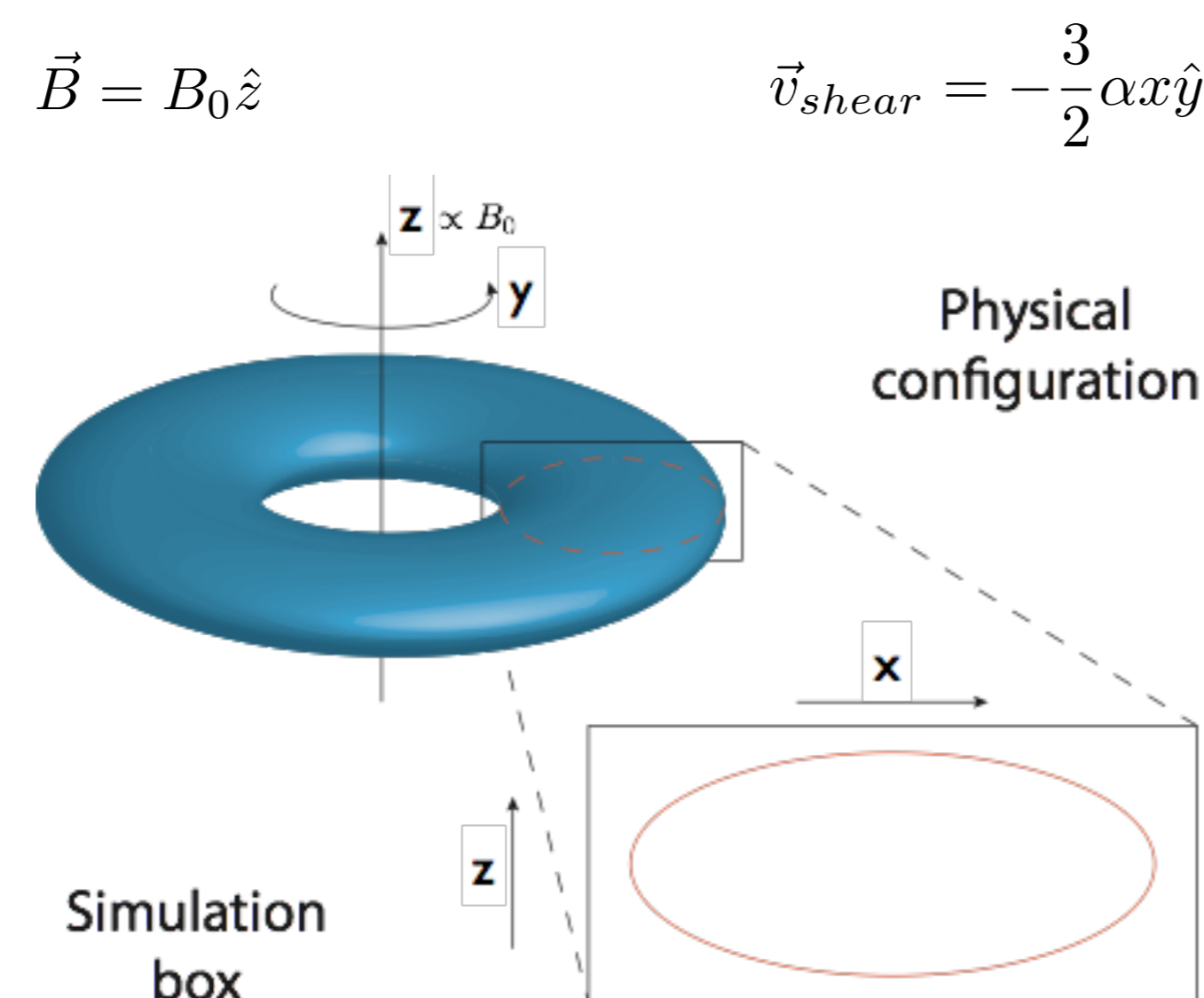
#### Maxwell's equations

$$\frac{\partial \vec{B}(\vec{r}, t)}{\partial t} = -\nabla \times \vec{E}(\vec{r}, t) - \frac{3}{2} \alpha B_x \hat{y}$$

$$\frac{\partial \vec{E}(\vec{r}, t)}{\partial t} = \nabla \times \vec{B} - 4\pi \vec{J} - \frac{3}{2} \alpha E_x \hat{y}$$

#### Equation of motion

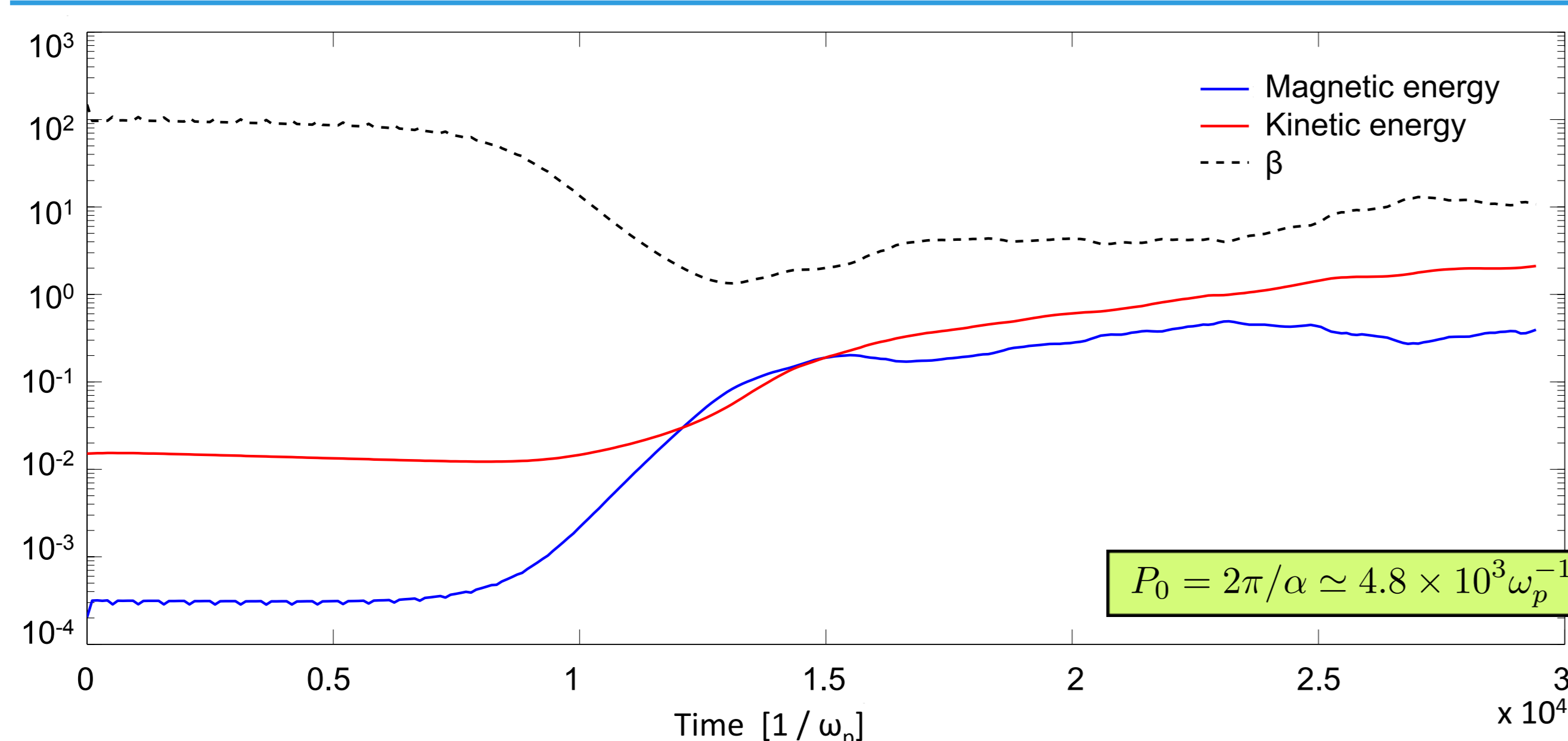
$$\frac{d\vec{p}}{dt} = 2\alpha p_y \hat{x} - \frac{1}{2} \alpha p_x \hat{y} + q \left( \vec{E} + \frac{\vec{u}}{c} \times \vec{B} \right)$$



Weak magnetic field  $\frac{\omega_{ci}}{\alpha} \ll 1$       Non-relativistic limit  $v_0 = \alpha \times r_0 \ll c$       Small box approximation  $L \ll r_0$

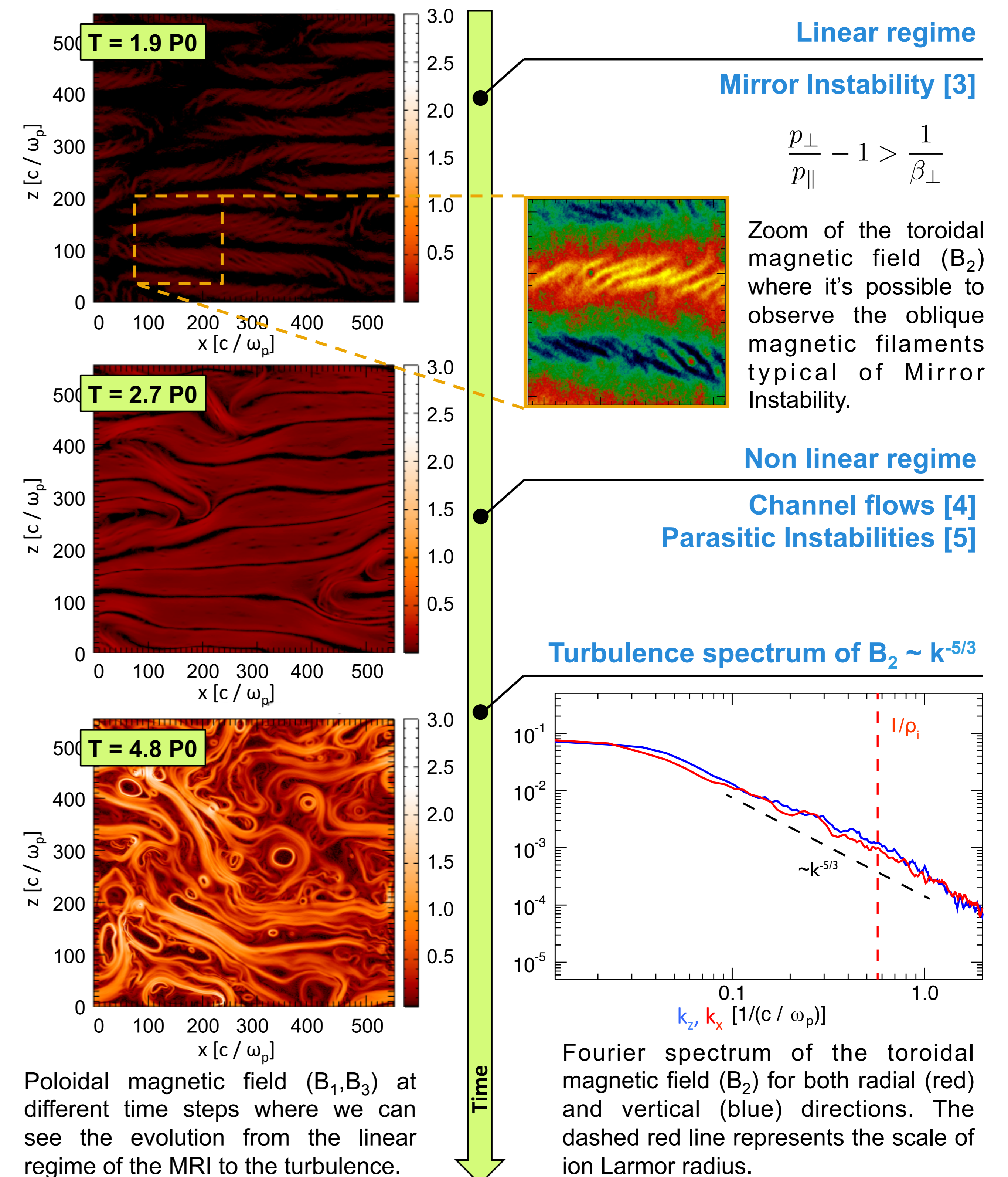
### Simulation parameters

Mass ratio  $\frac{m_i}{m_e} = 1$       Alfvén velocity  $\frac{v_A}{c} = 0.0143$       Box size  $8 \times 8 \lambda_0^2$   
 Beta parameter  $\beta_0 = 100$       Magnetization  $\frac{\omega_{ci}}{\alpha} = 11$        $\left( \lambda_0 = \frac{2\pi v_A}{\alpha} \right)$



Evolution of the magnetic (blue), kinetic (red) energy and the beta parameter (dashed) throughout the simulation.

### Evolution of the poloidal magnetic field ( $B_1, B_3$ )



Linear regime

Mirror Instability [3]

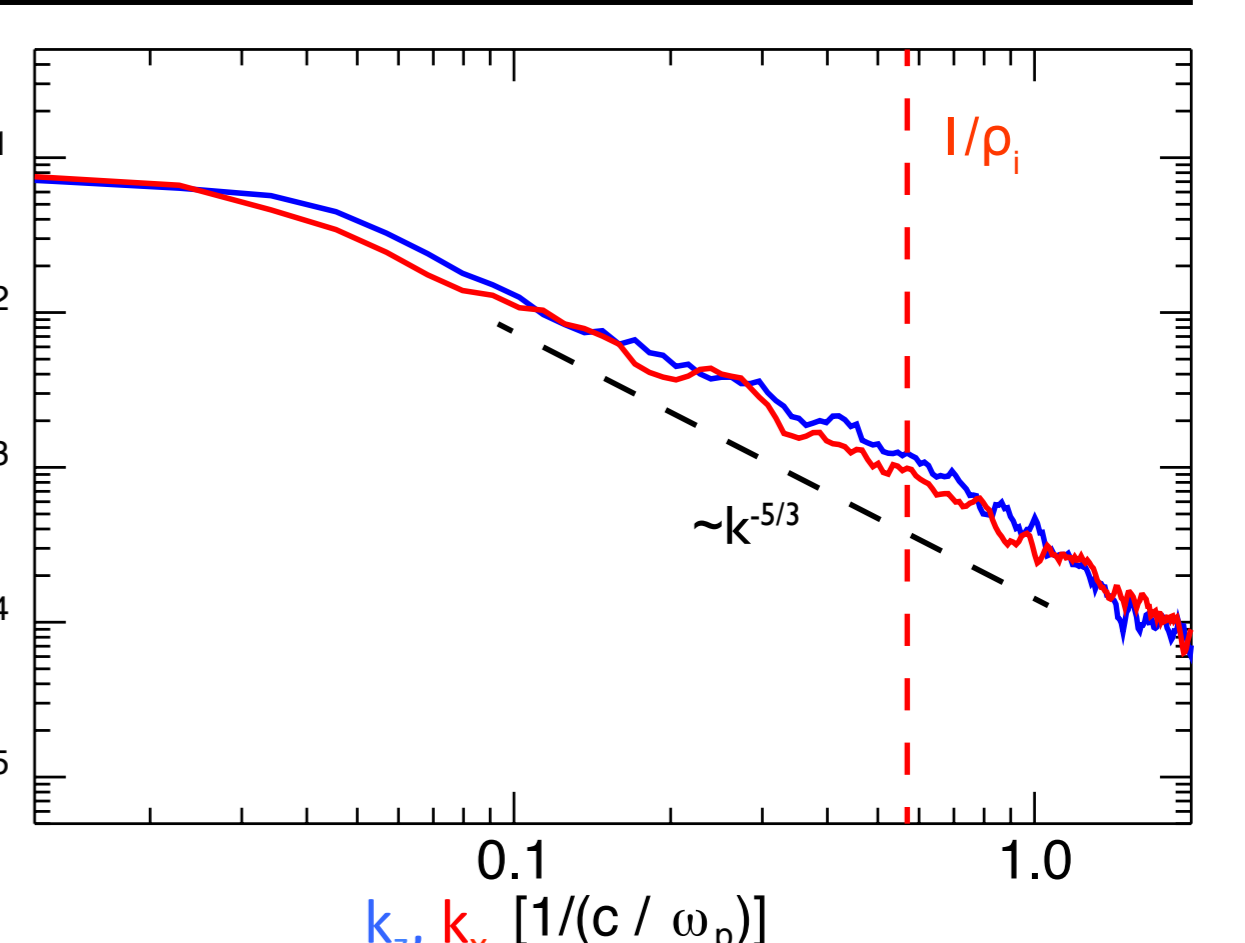
$$\frac{p_{\perp}}{p_{\parallel}} - 1 > \frac{1}{\beta_{\perp}}$$

Zoom of the toroidal magnetic field ( $B_2$ ) where it's possible to observe the oblique magnetic filaments typical of Mirror Instability.

Non linear regime

Channel flows [4]  
Parasitic Instabilities [5]

Turbulence spectrum of  $B_2 \sim k^{-5/3}$



Fourier spectrum of the toroidal magnetic field ( $B_2$ ) for both radial (red) and vertical (blue) directions. The dashed red line represents the scale of ion Larmor radius.

### Conclusions & Future works

- Evolution of the MRI for **large scale e-p plasma**
- Linear regime: pressure anisotropies that activate the **Mirror Instability on kinetic scale**
- Non linear regime: **channel flows**
- End of the non linear regime: **parasitic instabilities** that stop the growth of the MRI destroying the channel flows
- Activation of **turbulence** that characterize the **saturation of the MRI**

### Future works

- Characterization of the different parasitic instabilities
- Evolution of turbulent regime using the **3D version of the code** (currently under development)
- Extend the analysis to **different mass ratio**, to understand the influence of **electron scale pressure anisotropies** on linear evolution of the MRI

### References

- [1] S. A. Balbus, J. F. Hawley, ApJ, 376, 214 (1991)
- [2] S. W. Davis, et al., ApJ, 713, 1 (2010)
- [3] M. W. Kunz, et al., PRL, 112, 20 (2014)
- [4] H. N. Latter, et al., MNRAS, 394, 715 (2009)
- [5] J. Goodman, G. Xu, APJ, 432, 213, (1994)

### Acknowledgements

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